Search for NMSSM Higgs bosons in the $h\rightarrow aa\rightarrow \mu\mu\tau\tau$ channels using $p\bar{p}$ collisions at $\sqrt{s} = 1.96$ TeV

We report on a first search for production of the lightest neutral CP-even Higgs boson ($h$) in the next-to-minimal supersymmetric standard model, where $h$ decays to a pair of neutral pseudoscalar Higgs bosons ($a$), using 4.2 fb$^{-1}$ of data recorded with the D0 detector at Fermilab. The bosons are required to either both decay to $\mu^+\mu^-$ or one to $\mu^+\tau^-$ and the other to $\tau^+\tau^-$. No significant signal is observed, and we set limits on its production as functions of $M_a$ and $M_h$.

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The CERN $e^+e^-$ Collider (LEP) has excluded a SM-like Higgs boson decaying to $b\bar{b}$, $\tau^+\tau^-$ with a mass below 114.4 GeV [1], resulting in fine-tuning being needed in the minimal supersymmetric SM (MSSM). Slightly richer models, such as the next-to-MSSM (NMSSM) [2], alleviate this fine-tuning [3]. The $h\rightarrow b\bar{b}$ branching ratio (BR) is greatly reduced because the $h$ dominantly decays to a pair of lighter neutral pseudoscalar Higgs bosons ($a$). The most general LEP search yields $M_h > 82$ GeV [4], independent of the Higgs boson decay.
Helicity suppression causes the a boson to decay to the heaviest pair of particles kinematically allowed. The BR(\(a\rightarrow\mu\mu\)) is nearly 100% for 2\(m_\mu<M_a\leq 3m_\pi\) (\(\approx 450\) MeV) and then decreases with rising \(M_a\) due to decay into hadronic states [5]. A \((\mu\mu)\) spectrum in \(\Sigma\) decays consistent with \(a\rightarrow\mu\mu\) where \(M_a=214.3\) MeV was reported by the HyperCP collaboration [6], which suggests searching for \(h\rightarrow aa\) with \(a\rightarrow\mu\mu\) [7]. Decays to charm are usually suppressed in the NMSSM, so they have been neglected. If \(2m_\mu<M_a<2m_h\), the BR(\(a\rightarrow\mu\mu\)) is suppressed by \((M_h^2/M_a^2)/\sqrt{1-(2M_\tau/M_a)^2}\), a decays primarily to \(\tau^+\tau^-\), and the limit from LEP is still weak (\(M_h>86\) GeV) [8]. The direct search for the 4\(\tau\) final state is challenging, due to the lack of an observable resonance peak and low \(e,\mu\) transverse momentum (\(p_T\)) which complicates triggering [9]. The \(2\mu 2\tau\) final state however, contains a resonance from \(a\rightarrow\mu\mu\), high \(p_T\) muons for triggering, and missing transverse energy (\(E_T\)) [10]. B-factors also search for \(T\rightarrow a\gamma\), where the a boson escapes as missing energy or decays to muons or taus [11].

In this Letter, we present a first search for \(h\) boson production, followed by \(h\rightarrow aa\) decay with either both \(a\) bosons decaying to \(\mu^+\mu^-\) or one decaying to \(\mu^+\) and the other to \(\tau^+\tau^-\). Data from Run II of the Fermilab Tevatron Collider recorded with the D0 detector [12] are used, corresponding to an integrated luminosity of about 4.2 fb\(^{-1}\). The signal signature is either two pairs of collinear muons (due to the low \(M_a\)), or one pair of collinear muons and either large \(E_T\), an additional (not necessarily isolated) muon, or a loosely-isolated electron from \(a\rightarrow\tau\tau\) opposite to the muon pair. The main backgrounds are multijet events containing muons from the decay of particles in flight (\(\pi,\nu,\bar{\nu}\), heavy-flavor decays, and other sources (\(\eta,\phi,J/\psi\), etc.) and \(Z/\gamma^*\rightarrow\mu\mu\)+jets. The PYTHIA [13] event generator is used to simulate \(gg\rightarrow h\rightarrow aa\) signal events for various \(M_h\) and \(M_a\), which are then passed through the GEANT3 [14] D0 detector simulation and reconstructed.

Events are required to have at least two muons reconstructed in the muon system and matched to tracks from the inner tracking system with \(p_T>10\) GeV and \(|\eta|<2\), where \(\eta\) is the pseudorapidity. Muons are not required to have opposite electric charge. No specific trigger requirements are made; an OR of all implemented triggers is used. But most events selected pass a dimuon trigger, with muon \(p_T\) thresholds of 4–6 GeV. Trigger efficiency is \(\geq 90\%\) for events passing the offline selections.

For the 4\(\mu\) channel, we look for one muon from each of the two \(a\) boson decays, so the dimuon pair with the largest invariant mass is selected, with \((\mu\mu)\geq 15\) GeV and \(\Delta R(\mu,\mu)>1\), where \(\Delta R=\sqrt{(\Delta\eta)^2+(\Delta\phi)^2}\) and \(\phi\) is the azimuthal angle. Only one muon is required to be reconstructed from each pair of collinear muons. The muon system has insufficient granularity to reliably reconstruct two close muons. A companion track is identified with \(p_T>4\) GeV and smallest \(\Delta R\) from each muon, within \(\Delta R<1\) and \(\Delta z(\text{track},\text{PV})<1\) cm, where \(z\) is the distance along the beamline, and PV is the primary \(pp\) interaction vertex. The muon pair calorimeter isolation (\(I_{\mu\mu}\)) is the sum of calorimeter energy within 0.1<\(\Delta R<0.4\) of either the muon or the companion track. Both muons are required to have \(I_{\mu\mu}<0.1\) GeV and track-based isolation: \(\leq 3\) tracks with \(p_T>0.5\) GeV and \(\Delta z(\text{track},\text{PV})<1\) cm within \(\Delta R<0.5\) of the muon, including the muon track itself.

Based on a control data sample greatly enhanced in multijet events by removing the \(I_{\mu\mu}\) requirement on the muons, we predict \(1.9\pm 0.4\) events to pass the final selections. The mass of the leading (trailing) \(p_T\) muon and its companion track, \(m_1(\mu,\text{track})\) (\(m_2(\mu,\text{track})\)), is shown in the multijet sample in Fig. 1(a) and is used to model the background shape. Background is also expected from \(Z/\gamma^*/\rightarrow\mu\mu\) events where additional companion tracks are reconstructed. Studying the dimuon mass distributions in the isolated data when zero or one of the muons is required to have a companion track gives an estimate of 0.29±0.04 events. The background from \(t\bar{t}\), diboson, and \(W\) +jets production is found to be negligible.

Signal acceptance uncertainty is dominated by the ability to simulate the detection of the companion track, particularly when the two muons are very collinear. We compare \(R(\gamma)\) decays in data and simulation as a function of the \(\Delta R\) between the two pion tracks. Over most of the \(\Delta R\) range, the relative tracking efficiency is within 20%, but few events have \(\Delta R<0.02\) (corresponding to \(M_a<0.5\) GeV for \(M_h=100\) GeV), and consistency can only be confirmed at the 50% level. For \(\Delta R(p_T,\mu<0.1\) (corresponding to \(M_a<2\) GeV for \(M_h=100\) GeV), there is the possibility that the two muons will overlap in the muon system and interfere with each other’s proper reconstruction and triggering. By studying the effect of adding noise hits, we find up to a 10% effect on reconstruction and 20% effect on the trigger efficiency. The background uncertainty (50%) is dominated by the statistical uncertainty of the multijet-enhanced data sample. The luminosity uncertainty is 6.1% [15].

After the isolation requirements are applied to both muons, two events are observed in data, consistent with

![Figure 1: The \(m_2(\mu,\text{track})\) vs. \(m_1(\mu,\text{track})\) distribution (a) in the multijet sample, and (b) after the isolation cut is applied to both muons for data and various MC signal masses.](image-url)
The efficiency for MC signal events within the 2 s.d. window around each $M_a$, numbers of events expected from background (with statistical uncertainty) and observed in data, and the expected and observed limits on the $\sigma(p\bar{p} \rightarrow h+X) \times BR(h \rightarrow aa \rightarrow 4\mu)$, for $M_h = 100$ GeV. Limits for other $M_a$, up to $2m_\tau$, are interpolated from these simulated MC samples. No events are observed in a window for any interpolated $M_a$.

<table>
<thead>
<tr>
<th>$M_a$ (GeV)</th>
<th>Window Eff. (MeV)</th>
<th>$N_{\text{bkg}}$</th>
<th>$N_{\text{obs}}$</th>
<th>$\sigma \times \text{BR}$ (exp obs)</th>
<th>$0.2143 \pm 15$</th>
<th>$0.3 \pm 50$</th>
<th>$0.5 \pm 70$</th>
<th>$1 \pm 100$</th>
<th>$3 \pm 230$</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td>$17% 0.001 \pm 0.001$</td>
<td>$16% 0.006 \pm 0.002$</td>
<td>$12% 0.012 \pm 0.004$</td>
<td>$13% 0.022 \pm 0.005$</td>
<td>$14% 0.005 \pm 0.002$</td>
</tr>
</tbody>
</table>

The total background of $2.2 \pm 0.5$ events. Neither has a third muon identified, compared to about 50% of the signal MC events. We fit a Gaussian distribution to the $m_1(\mu, \text{track})$ distribution, and the number of events with both $m_1(\mu, \text{track})$ and $m_2(\mu, \text{track})$ within a $\pm 2$ s.d. window around the mean from the fit are determined for data, signal, and background (Tab. I). No events are observed within any window, in agreement with the background prediction. Upper limits on the $h \rightarrow aa \rightarrow 4\mu$ signal rate are computed at 95% C.L. using a Bayesian technique [16] and vary slightly with $M_h$, decreasing by $\approx 10\%$ when $M_h$ increases from 80 to 150 GeV.

For the $2\mu2\tau$ channel, the muon pair is selected in each event with the largest scalar sum of muon $p_T$ ($\Sigma_2^{p_T}$), with muon $p_T > 10$ GeV, $\Delta R(\mu, \mu) < 1$, and $M(\mu\mu) < 20$ GeV. This is the “pre-selection” (Tab. II). Next, $\Sigma_2^{p_T} > 35$ GeV is required, to reduce background, and the same muon pair calorimeter and track isolation cuts are applied as for the $4\mu$ channel. This is the “isolated” selection.

Standard D0 $\tau$ identification [17] is severely degraded and complicated by the topology of the two overlapping $\tau$ leptons. Instead, we require significant $E_T$ from the collinear $\tau$ decays to neutrinos. The $E_T$ is computed from calorimeter cell energies and corrected for the $p_T$ of the muons. To ensure that this correction is as accurate as possible, the following additional muon selection criteria are applied. The muons’ tracks in the inner tracker are required to have hits to their hits with $\chi^2/\text{dof} < 4$, transverse impact parameter from the PV less than 0.01 cm, and at least three hits in the silicon detector. The match between the track reconstructed from muon system hits and the track in the inner tracker must have $\chi^2 < 40$, and the muon system track must have $p_T > 8$ GeV. Hits are required for both muons in all three layers of the muon system. Also, less than 10 GeV of calorimeter energy is allowed within $\Delta R < 0.1$ of either muon, to exclude muons with showers in the calorimeter. Finally, the leading muon $p_T$ must be less than 80 GeV, to remove muons with mismeasured $p_T$. To improve the $E_T$ measurement in the calorimeter, the number of jets reconstructed [18] with cone radius 0.5, $p_T > 15$ GeV (corrected for jet energy scale), and $|\eta| < 2.5$ must be less than five. Events with $E_T > 80$ GeV are also rejected to remove rare events where the $E_T$ is grossly mismeasured, since signal is not expected to have such large $E_T$. These are the “refining” cuts. Then an event must pass one of three mutually exclusive subselections. The first subselection, for when no jet is reconstructed from the tau pair, requires zero jets with $p_T > 15$ GeV, $\Delta \phi(\mu_1, E_T) > 2.5$, the highest-$p_T$ track with $\Delta z(\text{track}, \text{PV}) < 3$ cm and not matching either of the two selected muon tracks in the dimuon candidate to have $p_T > 4$ GeV and $\Delta \phi(\text{track}, E_T) < 0.7$. The second subselection, for when at least one of the tau decays is 1-prong, requires at least one jet, where the leading-$p_T$ jet (jet1) has no more than four (non-muon) tracks associated with it with $p_T > 0.5$ GeV, $\Delta z(\text{track}, \text{jet1}) < 3$ cm, and $\Delta R(\text{track, jet1}) < 0.5$. $\Delta \phi(\text{jet1}, E_T) < 0.7$, and $E_T > 20$ GeV. The third subselection, for when both tau decays are 3-prong (or more) and thus most jet-like, requires at least one jet, where jet1 has either more than four (non-muon) tracks associated with it or $\Delta \phi(\text{jet1}, E_T) > 0.7$ and $E_T > 35$ GeV. Events passing one of these three subselections are called the “$E_T$” selection.

To gain acceptance, we also select events not passing the “$E_T$” selection, but with either an additional muon (not necessarily isolated) or loosely-isolated electron. For the “Muon” selection, a (third) muon is required, with $p_T > 4$ GeV and $\Delta \phi(\mu, E_T) < 0.7$. The “EM” selection rejects events in the “Muon” selection and then requires an electron with $p_T > 4$ GeV, $\Delta \phi(\text{e, } E_T) < 0.7$, fewer than three jets, $E_T > 10$ GeV, and $p_T^{\mu} + E_T > 35$ GeV.

The dimuon invariant mass shape of the multijet and $\gamma^*$ background to the “$E_T$” selection is estimated from the low $E_T$ data which passes the “refining” cuts but fails the “$E_T$” selection cuts. For the “Muon” and “EM” selections, it is taken from the “isolated” data sample. The requirements of the “Muon” and “EM” selections have no significant effect on the dimuon invariant mass shape for a data sample with loosened isolation requirements. These background shapes are summed and normalized to the data passing all selections, but excluding data events within a 2 s.d. dimuon mass window for each $M_a$ (see below). Background from diboson, $t\bar{t}$, and $W + \text{jets}$ production, containing true $E_T$ from neutrinos, is estimated using MC and found to contribute $< 10\%$ of the background from multijet and $\gamma^*$. Signal acceptance uncertainty for the $2\mu2\tau$ channel is dominated by the ability of the simulation to model the efficiency of the “refining” muon cuts and final selections. It is found to be 20% per-event based on studies of the muon and event quantities used, comparing data and MC events in the $Z$ boson mass region. Comparing the $J/\psi$ and $Z$ boson yields gives a 10% trigger efficiency uncertainty. The background uncertainty is less than 20% and...
TABLE II: Selection efficiencies and limits for the $2\mu 2\tau$ channel, for $M_h=100$ GeV and various $M_a$. The numbers of events at “pre-selected,” “isolated” stages and after (“refining”) “Muon,” and “EM” selections, assuming $\sigma(p\bar{p}\rightarrow h+X)=1.9$ pb and $BR(h\rightarrow aa)=1$. Next are the window size, and numbers of events in the window for signal (and overall efficiency times BR), expected from background (with statistical uncertainty), and observed in data. The expected and observed limits on $\sigma(p\bar{p}\rightarrow h+X)\times BR(h\rightarrow aa)$ and $\sigma(p\bar{p}\rightarrow h+X)\times BR(h\rightarrow aa)\times 2\times BR(a\rightarrow \mu\mu)\times BR(a\rightarrow \tau\tau)$ follow.

<table>
<thead>
<tr>
<th>Sample</th>
<th>N pre.</th>
<th>N iso.</th>
<th>Window</th>
<th>$N_{\text{sig}}$ (Eff.)</th>
<th>$N_{\text{bkgr}}$</th>
<th>$N_{\text{obs}}$</th>
<th>$\sigma \times 2\times BR$</th>
</tr>
</thead>
<tbody>
<tr>
<td>Data</td>
<td>95793</td>
<td>2795</td>
<td>(1085)</td>
<td>15</td>
<td>15</td>
<td>14</td>
<td>1</td>
</tr>
<tr>
<td>$M_a=3.6$ GeV</td>
<td>53.1</td>
<td>28.0</td>
<td>(14.5)</td>
<td>3.5</td>
<td>1.9</td>
<td>±0.30 GeV</td>
<td>5.2 (0.060%)</td>
</tr>
<tr>
<td>$M_a=7$ GeV</td>
<td>33.6</td>
<td>15.3</td>
<td>(8.1)</td>
<td>2.5</td>
<td>1.2</td>
<td>±0.32 GeV</td>
<td>3.3 (0.042%)</td>
</tr>
<tr>
<td>$M_a=10$ GeV</td>
<td>20.6</td>
<td>8.7</td>
<td>(4.5)</td>
<td>1.7</td>
<td>0.8</td>
<td>±0.54 GeV</td>
<td>2.1 (0.027%)</td>
</tr>
<tr>
<td>$M_a=19$ GeV</td>
<td>14.6</td>
<td>5.4</td>
<td>(2.9)</td>
<td>0.8</td>
<td>0.4</td>
<td>±1.37 GeV</td>
<td>1.2 (0.015%)</td>
</tr>
</tbody>
</table>

FIG. 2: The dimuon invariant mass for events passing all selections in data, background, and $2\mu 2\tau$ signals for $M_a=3.6, 4, 7, 10,$ and $19$ GeV. $\sigma(p\bar{p}\rightarrow h+X)=1.9$ pb is assumed, $BR(h\rightarrow aa)=1,$ and $M_h=100$ GeV.

FIG. 3: The expected and observed limits and ±1 s.d. and ±2 s.d. expected limit bands for $\sigma(p\bar{p}\rightarrow h+X)\times BR(h\rightarrow aa)$, for (a) $M_h=100$ GeV and (b) $M_h=4$ GeV. The signal for $BR(h\rightarrow aa)=1$ is shown by the solid line. The region $M_h<86$ GeV is excluded by LEP.

dominated by the statistical uncertainty of the data sample used. Alternate fits of the background shape from low $E_T$ data modify the background estimates by up to 10%.

Figure 2 shows the dimuon invariant mass for data, background, and signals, after all selections. Each signal dimuon mass peak is fit to a Gaussian distribution, and the numbers of events with dimuon mass within a ±2 s.d. window around the mean from the fit are counted (Tab. II). Data in each window are consistent with the predicted background. The expected and observed limits on the $\sigma\times BR$ of the $h\rightarrow aa$ process for each $M_a$ studied are shown, assuming the $a$ boson BRs given by PYTHIA, with no charm decays. Since the $a$ boson BRs are model-dependent, we also derive a result which factors out the BRs taken from PYTHIA. Limits are derived for intermediate $M_a$ by interpolating the signal efficiencies and window sizes, see Fig. 3(a). Above 9.5 GeV, we expect $a\rightarrow b\bar{b}$ decays to dominate and greatly decrease $BR(aa\rightarrow 2\mu 2\tau),$ but limits are calculated under the assumption that the $b$ quark decays are absent. We also study the limits vs. $M_h$ for $M_a = 4$ GeV, see Fig. 3(b).

We have presented results of the first search for Higgs boson production in the NMSSM decaying into $a$ bosons at a high energy hadron collider, in the $4\mu$ and $2\mu 2\tau$ channels. The predicted $BR(a\rightarrow \mu\mu)$ is driven at low $M_a$ by competition between decays to $\mu\mu$ and to gluons and has large theoretical uncertainties [19]. Therefore, for $M_a<2m_\tau$, we set limits only on $\sigma(p\bar{p}\rightarrow h+X)\times BR(h\rightarrow aa)\times BR^2(a\rightarrow \mu^+\mu^-)$, excluding about 10 fb. Assuming $\sigma(p\bar{p}\rightarrow h+X)=1.9$ pb [20], corresponding to $M_h\approx100$ GeV, $BR(a\rightarrow \mu\mu)$ must therefore be less than 7% to avoid detection, assuming a large $BR(h\rightarrow aa)$. However, $BR(a\rightarrow \mu\mu)$ is expected to be larger than 10% for $M_a<2m_\tau$ [5], and depending on $BR(a\rightarrow c\bar{c})$, which is model-dependent and typically suppressed in the NMSSM, could remain above 10% until $M_a=2m_\tau$. Thus these results severely constrain the region $2m_\mu<M_a<2m_\tau$. For $M_a>2m_\tau$, the limits set by the current analysis are a factor of ≈1-4 larger than the expected production cross section.

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[a] Visitor from Augustana College, Sioux Falls, SD, USA.
[b] Visitor from Rutgers University, Piscataway, NJ, USA.
[c] Visitor from The University of Liverpool, Liverpool, UK.
[d] Visitor from Centro de Investigacion en Computacion - IPN, Mexico City, Mexico.
[e] Visitor from ECFM, Universidad Autonoma de Sinaloa, Culiacán, Mexico.
[f] Visitor from Helsinki Institute of Physics, Helsinki, Finland.
[g] Visitor from Universität Bern, Bern, Switzerland.
[h] Visitor from Universität Zürich, Zürich, Switzerland.
[i] Deceased.