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Switching on magnetism in Ni-doped graphene: Density functional calculations

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Magnetic properties of graphenic carbon nanostructures, which are relevant for future spintronic applications, depend crucially on doping and on the presence of defects. In this paper we study the magnetism of the recently detected substitutional Ni (Ni$_{\text{sub}}$) impurities. Ni$_{\text{sub}}$ defects are nonmagnetic in flat graphene and develop a nonzero-spin moment only in metallic nanotubes. This surprising behavior stems from the peculiar curvature dependence of the electronic structure of Ni$_{\text{sub}}$. A similar magnetic-nonmagnetic transition of Ni$_{\text{sub}}$ can be expected by applying anisotropic strain to a flat graphene layer.

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I. INTRODUCTION

Graphenic carbon nanostructures have opened new research routes in nanoelectronics.1,2 In particular, their magnetic properties are receiving much attention, both experimentally and theoretically, mainly in relation to spintronics. Spin qubits and other spintronic devices seem feasible due to the very long spin relaxation and decoherence times in graphene3,4 and to the fact that the magnetism of the edge states of graphenic nanoribbons can be controlled by applying external electric fields.5,6 Magneto-optical properties are also being actively studied.2,7 All these properties are drastically influenced by the presence of defects and dopants.5–10 For example, strong magnetic signals in nanocarbons have been reported after irradiation that seem to be associated with the creation of defects.11–14 Thus, the magnetic and transport properties of carbon systems can in principle be engineered using these additional degrees of freedom.

In a recent x-ray adsorption study, Ushiro et al.15 demonstrated the presence of important amounts of substitutional Ni (Ni$_{\text{sub}}$) impurities in purified carbon nanostructures synthesized using Ni-containing catalyst. Such Ni$_{\text{sub}}$ impurities were also observed by Banhart et al.16 in electron microscopy images of onionlike graphenic particles. In general, due to the stability of the substitutional configuration, the incorporation of transition metals to the carbon layer during growth or saturating existing vacancies seems as a likely process. In spite of this, the magnetic properties of substitutional transition-metal impurities in graphenic systems have not been studied in detail. Instead, most theoretical studies have focused on adsorbed transition-metal atoms on fullerences and single-walled carbon nanotubes (SWCNTs).17–23 Few calculations to date have considered Ni$_{\text{sub}}$ impurities16,24 and little attention was paid to the magnetic properties.

In this paper we present a first-principles density functional theory (DFT) study of Ni$_{\text{sub}}$ defects in graphene and armchair and zigzag SWCNTs of different diameters. We have discovered that the spin moment of substitutionally Ni-doped graphene can be controlled by applying mechanical deformations that break the hexagonal symmetry of the layer, as curvature does. Surprisingly, Ni$_{\text{sub}}$ impurities are nonmagnetic in flat graphene. However, their spin moment can be switched on by applying curvature to the structure. Furthermore, the spin moment of Ni$_{\text{sub}}$ also becomes a signature of the metalliclicity of the structure. Only metallic tubes develop a moment that depends on the tube diameter and Ni concentration. This behavior stems from the peculiar curvature dependence of the electronic structure of a flat graphene layer.

II. METHODOLOGY

Our calculations have been performed with the SIESTA code25–28 using the generalized gradient approximation (GGA) (Ref. 29) to DFT and Troullier-Martins30 pseudopotentials. Our Ni pseudopotential includes a pseudocore with a core matching radius of 0.53 a.u. in order to perform nonlocal core corrections for the description of exchange and correlation.31 We have tested that this pseudopotential yields the correct magnetic moment and band structure for bulk Ni. We have used an energy shift26 of 50 meV to define the radii of the different orbitals. A double-$\zeta$ (DZ) polarized (DZP) basis set has been used for the calculation of the spin moments and electronic band structures of all our systems. However, we have checked that a DZ basis yields to almost identical relaxed structures as the DZP basis and, therefore, we have used the smaller DZ basis for the relaxations of systems containing more than $\sim$100 atoms (our supercells contain up to 512 atoms; see Fig. 5 below). Atomic coordinates were relaxed using a conjugated gradient algorithm until all force components were smaller than 0.05 eV/Å. Relevant lattice parameters were fixed to those of the pristine systems. To prevent spurious interactions the minimum distance between the walls of neighboring SWCNTs was 18 Å. The fineness of the real-space grid used to calculate the Hartree and exchange-correlation contribution to the total energy and the Hamiltonian was equivalent to a 180 Ry plane-wave cutoff. A good integration over the Brillouin zone proved to

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be instrumental to converge the spin moment of Ni\textsubscript{sub} impurities in metallic SWCNTs. The k-point sampling was equivalent to a 136 × 136 sampling\cite{32} of the Brillouin zone of graphene. We used a Fermi-Dirac distribution with $k_B T = 21$ meV. In some cases we have checked that our results are reproduced using a different methodology: the VASP code with projected-augmented-wave potentials and a plane-wave cutoff energy of 400 eV.\cite{33,34}

III. RESULTS AND DISCUSSION

Figure 1(a) illustrates the typical equilibrium structure of Ni\textsubscript{sub} in the case of a (5,5) SWCNT. The Ni atom appears displaced ~0.9 Å from the carbon plane. Although both outward and inward displacements can be stabilized, the outward configuration is always more stable. The calculated Ni-C distances (d\textsubscript{NiC}) are in the range of 1.77–1.85 Å in agreement with experiment.\cite{15,16} Armchair tubes exhibit two slightly shorter and one larger values of d\textsubscript{NiC}. The opposite happens for (n,0) tubes, whereas for graphene we obtain a threefold symmetric structure with d\textsubscript{NiC}=1.78 Å. Ni adsorption inhibits the reconstruction\cite{35} of the carbon vacancy. Furthermore, we have checked that a symmetric structure is obtained even when starting from a relaxed vacancy. The Ni binding energy is quite large: 7.9 eV for graphene and about 8.5 eV for (5,5) and (8,0) tubes. The calculated adsorption energy of Ni on the surface of the same tubes is ~2.5 eV.\cite{21} Thus, we can conclude that the formation of Ni\textsubscript{sub} defects by passivation of existing carbon vacancies is a very likely process both for graphene and for SWCNTs.

Figure 1(b) shows the magnetization density for a Ni\textsubscript{sub} defect in a (5,5) metallic nanotube at large dilution (0.3% Ni concentration). The total spin moment of this system is 0.5\mu_B. The magnetization comprises the Ni atom and its C neighbors. However, it also extends considerably along the tube, particularly in the direction perpendicular to the tube axis. This indicates the polarization of some of the delocalized electronic states in the nanotube. Indeed, as we clarify below, the magnetism in substitutionally Ni-doped SWCNTs only appears associated with the curvature and the metalliclicity of the host structure.

Figure 2(a) shows a scheme of the electronic structure of Ni\textsubscript{sub} in graphene, while Fig. 2(b) presents the calculated band structure using a 4 × 4 supercell. Very similar results are obtained using larger supercells.\cite{36} Several levels with Ni-C bonding character and a strong Ni 3d contribution can be found between 2 and 6 eV below the Fermi energy ($E_F$). This considerable bandwidth is a signature of the strong Ni-C interaction. As a consequence of the bonding interaction the Ni 3d band is stabilized and can be pictured as “fully occupied.” Close to $E_F$ we find three levels with Ni-C anti-bonding character. One of them is occupied and appears around 0.7 eV below $E_F$ close to $\Gamma$. This level comes from a fully symmetric linear combination of the 2$p_z$ orbitals (z-axis normal to the layer) of the nearest C neighbors interacting with the 3$d_{xz}$ orbital of Ni. Two levels coming from the hybridization of the in-plane $sp$ lobes of the carbon neighbors with the Ni 3$d_{xz}$ and Ni 3$d_{yz}$ orbitals appear ~0.5 eV above $E_F$.

As a consequence of this electronic structure, with the Ni 3d states well below $E_F$ and no flat bands crossing $E_F$, the spin moment of the Ni\textsubscript{sub} impurity in graphene is zero. Interestingly, the three levels appearing close to $E_F$ in Fig. 2 are reminiscent of those found for the unreconstructed carbon
The basic picture described above is still valid for the electronic structure of the Ni$_{\text{sub}}$ impurity in SWCNTs. However, the modifications that appear due to the curvature of the carbon layer are responsible for the appearance of a spin moment. Figure 3(a) shows the band structure of a paramagnetic calculation of a (5,5) SWCNT with a Ni$_{\text{sub}}$ impurity every four unit cells. Here the distance between neighboring Ni$_{\text{sub}}$ impurities is similar to that of the graphene layer in Fig. 2(a). The Ni concentration is 2.5 times lower (1.3%). Comparing these two figures we can appreciate the effects of curvature. The degeneracy between $d_{xc}$ and $d_{yz}$ states is removed ($x$ axis taken along the tube axis and $y$ axis along the tangential direction at the Ni site). The $d_{yz}$ contribution is stabilized by several tenths of electron volt and a quite flat band with strong $d_{yz}$ character is found pinned at $E_F$ close to the Brillouin-zone boundary. Under these conditions the spin-compensated solution becomes unstable and a spin moment of 0.48 $\mu_B$ is developed. Figures 3(b) and 3(c) show, respectively, the band structure for majority and minority spins. The exchange splitting of the $d_{yz}$ level is $\sim 0.4$ eV and the energy gain with respect to the paramagnetic solution is 32 meV. Similar results are obtained using the VASP code. Notice that this exchange splitting is much smaller than the typical values obtained for transition metals. This is a consequence of the quite delocalized character of the impurity level responsible for the spin polarization and translates into the sensitivity of the Ni$_{\text{sub}}$ spin moment to relatively small perturbations. This is reflected, for example, in the complex dependence (see below) of the spin moment on the particular arrangement of Ni$_{\text{sub}}$ defects in the tube and the tube diameter.

In general, whenever a flat impurity with appreciable Ni 3$d$ character becomes partially filled we can expect the emergence of a spin moment. The population of such an impurity level occurs at the expense of the simultaneous depopulation of some of the delocalized carbon $p_z$ levels of the host structure. For this reason the development of a spin moment is more likely for Ni$_{\text{sub}}$ impurities in metallic structures such as the armchair tubes. The crucial role of the host states also explains the delocalized character of the magnetization density depicted in Fig. 1(b). However, it is important to stress that the driving force for the formation of a spin moment associated with the Ni$_{\text{sub}}$ impurity in SWCNTs is the local curvature of the carbon layer that shifts the energy position of one of the impurity levels downward until it crosses $E_F$. A schematic representation of this phenomenon can be found in Fig. 4 where we also emphasize the similarities between the levels of the Ni$_{\text{sub}}$ defect and those of the unreconstructed carbon vacancy. At large tube diameters we must recover the limit of flat graphene with zero magnetic moment.

For semiconducting tubes the situation is somewhat different. The $d_{xc}$ and $d_{yz}$ derived levels will remain unoccupied unless their energies are shifted by a larger amount that pushes one of them below the top of the valence band. Therefore, if the tube has a large enough gap the spin moment will be zero irrespective of the tube diameter. We have explicitly checked that a zero-spin moment is obtained for (8,0) and (10,0) semiconducting tubes for Ni concentrations ranging from 1.5% to 0.5%. The different magnetic behavior of Ni$_{\text{sub}}$ impurities depending on the metallic and semiconducting characters of the host structure provides a route to experimentally identify metallic armchair tubes.

Figure 5 displays the spin moment per Ni$_{\text{sub}}$ atom for Ni-doped armchair tubes of different diameters. All of them present a spin moment that oscillates as a function of the tube diameter and the size of the supercell used in the calculation, i.e., the Ni$_{\text{sub}}$-Ni$_{\text{sub}}$ distance. For (4,4), (5,5), and (6,6) tubes the first supercell showing a nonzero-spin moment contains four unit cells. For (7,7) and (8,8) tubes this minimum length increases up to eight and six unit cells, respectively. The complex oscillatory pattern of the spin moment as...
a function of the Ni$_{sub}$-Ni$_{sub}$ distance can be understood if we recall that the appearance of spin polarization critically depends on the energy position of a particular impurity level (C 2sp-Ni 3d$_z$) nearby $E_F$. This impurity level has a relatively delocalized character and presents a strong hybridization with the electronic states of the nanotube. This translates into a long-range effective interaction between impurity states in neighboring Ni$_{sub}$ defects. As a consequence, the exact position of the impurity level in each defect, and thus the possibility to develop spin polarization, depends on the particular arrangement of neighboring Ni$_{sub}$ impurities. This gives rise to strong oscillations of the spin moment even for very large Ni$_{sub}$-Ni$_{sub}$ distances [see, for example, the Ni$_{sub}$ spin moment in (5,5) and (4,4) tubes for Ni$_{sub}$-Ni$_{sub}$ distances between 20 and 40 Å]. Unfortunately, a meaningful exploration of larger distances between impurities requires a methodology different from the ab initio supercell approach used here.

In Fig. 5 we have only considered systems with a single Ni$_{sub}$ impurity per unit cell. Therefore, we are restricted to consider the ferromagnetic (FM) order of the spin moments associated with the Ni$_{sub}$ defects. Unfortunately, in most cases the large size of the calculations prevents the doubling of the cell required to check different magnetic orders. However, we have explored also the possibility of antiferromagnetic (AFM) order in one case. We have used a 20 Å supercell of a (5,5) tube with two Ni$_{sub}$ impurities and calculated FM and AFM arrangements. In this case the calculated spin moment in each Ni$_{sub}$ was not only dependent on the relative positions of the Ni$_{sub}$ impurities, but also showed a weaker dependence on the particular magnetic order (FM or AFM) considered. The FM configuration was always found to be the most stable except for situations where the two Ni$_{sub}$ impurities shared common C neighbors. Only in those cases the spin-compensated solution became the most favorable.

Although more work is necessary to accurately determine the size and distance dependences of the effective exchange interaction (probably using model calculations similar to those in Ref. 37), our results indicate that Ni$_{sub}$ impurities in small diameter metallic nanotubes, where they develop a spin moment, can exhibit relatively large FM couplings that slowly decay with distance. For example, in a (5,5) tube the FM ordering of a collection of 10-Å-equispaced Ni$_{sub}$ impurities along the tube axis is favored over the AFM configuration by as much as 36 meV per Ni atom. These FM interactions can have important implications for the experimental detection of the curvature-dependent magnetism of the Ni$_{sub}$ impurities described in this work and its influence in the observation of magnetism in carbon nanotube samples.

IV. CONCLUSIONS

The calculations presented here show that substitutional Ni impurities in graphenic carbon structures present a strong covalent interaction with their carbon neighbors. This interaction stabilizes the 3d levels of Ni that appear as a completely filled shell. As a consequence, Ni$_{sub}$ is nonmagnetic in graphene. Two unoccupied levels of the Ni$_{sub}$ impurity appear close to $E_F$ corresponding to antibonding combinations of Ni 3d orbitals and C 2sp lobes. Curve breaks the degeneracy of these two levels and, under appropriate conditions, shifts one of them to lower energies such that it becomes partially occupied in metallic armchair tubes. In this situation the system develops a spin moment that exhibits a complex behavior as a function of the tube diameter and Ni concentration. However, for semiconducting zigzag tubes the Ni$_{sub}$ impurities remain nonmagnetic. These results should be taken into account when studying the magnetic properties of carbon nanostructures.

In summary, curvature can be used to drive substitutional Ni impurities between a magnetic and a nonmagnetic state in metallic graphenic carbon nanostructures. In particular, the magnetic properties of substitutionally Ni-doped graphene can be tuned by controlling the curvature of the layer around the Ni$_{sub}$ defects. A possible way to do this is to deposit the graphene layer on a substrate with a small lattice-parameter mismatch. This can cause the undulation and local bending of the graphene layer. Alternatively, a similar nonmagnetic-magnetic transition of Ni$_{sub}$ might be obtained by applying anisotropic strain to a flat graphene layer. In this regard, we are currently exploring if the formation of a spin moment can also be controlled by applying uniaxial strain to a flat Ni$_{sub}$-doped graphene layer.

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36 Because of the quite symmetric position of the Ni atom over the C vacancy the 3d_{dyz} and 3d_{dz^2} derived bands are almost degenerate at $\Gamma$. In spite of the relatively large distance between Ni atoms in the 4×4 graphene supercell (≈9.8 Å), these bands show a considerable dispersion of ∼0.2 eV. The large range of the Ni_{sub}-Ni_{sub} interaction is a signature of the strong hybridization of the impurity levels with the states of the carbon layer. Another signature of this hybridization is the gap of ∼0.5 eV that opens in the graphene layer around K. Using a larger 8×8 supercell i.e., increasing the Ni_{sub}-Ni_{sub} distance to ∼19.7 Å, the width of the impurity bands and the gap decrease, respectively, to ∼20 and ∼100 meV. The positions of the impurity bands are, however, very similar to the case of the smaller cell.

