I. INTRODUCTION

The first observing run (O1) of the Advanced Laser Interferometer Gravitational-Wave Observatory (LIGO) detectors [1] took place from September 12, 2015 to January 19, 2016. During this period, there were a total of 51.5 days of coincident analysis time between the two detectors, located in Hanford, Washington (H1), and Livingston, Louisiana (L1). This resulted in the detection of gravitational-wave (GW) signals from the coalescence of two binary black hole (BBH) systems with high statistical significance, GW150914 [2] and GW151226 [3], and a third lower-significance candidate, LVT151012 [4], which is also likely to be a BBH coalescence [5].

In all three cases, the estimated premerger individual source-frame masses, \((36.2^{+5.2}_{-3.8}, 29.1^{+3.7}_{-4.4}) \, M_{\odot}\), \((14.2^{+8.3}_{-3.7}, 7.5^{+3.8}_{-2.3}) \, M_{\odot}\), and \((23^{+18}_{-6}, 13^{+5}_{-2}) \, M_{\odot}\), respectively [5,6], are consistent with stellar evolutionary scenarios [7]. These systems were observed at relatively low redshifts, \(z = 0.09^{+0.03}_{-0.04}, 0.09^{+0.03}_{-0.04}\), and \(0.20^{+0.09}_{-0.09}\), respectively. If relatively heavy black hole remnants, similar to those already observed by Advanced LIGO, exist within dense globular cluster (GCs), further hierarchical merging of these objects could be a natural formation mechanism for intermediate mass black holes (IMBHs) [9]. IMBHs are normally defined as black holes with masses in the range \(10^{2} \leq M_{\bullet} \leq 10^{3} \); in this paper, we consider any BBH with a total mass above \(10^{2} \, M_{\odot}\) and mass ratio of \(0.1 \leq q \leq 1\) to be an IMBH binary (IMBHB).

It is possible that there will be numerous BBH detections in the next few years of GW astronomy [5,10,11]. In the near future, we should be able to place stringent astrophysical constraints on the formation and evolution of stellar-mass black holes. In addition to surveying stellar-mass black holes, we will also be able to investigate the astrophysics of IMBHs.

If they are found to exist, IMBHB mergers would be the LIGO-Virgo sources that emit the most gravitational-wave energy. Given an estimate of the power spectral density of a detector [12], and assuming a matched-filter single-detector signal-to-noise ratio (SNR) threshold of 8, in Fig. 1 we plot the horizon distance (the distance to which we can detect an optimally located and oriented source) as a function of source-frame total mass. As Fig. 1 displays, the O1 sensitivity for IMBHBs constitutes a factor of \(\approx 6\) improvement in peak horizon distance (\(\approx 200\) in search volume) as compared to the sensitivity achieved between 2009 and 2010, during the sixth and final science run (S6) of initial LIGO [13]. However, the matched-filter SNR is only an optimal detection statistic in stationary, Gaussian noise. Since LIGO data are known to contain nonstationary noise [14], this figure is useful primarily as an approximate upper bound on the reach of a modeled search for IMBHBs.

In this paper, we report on the search for IMBHBs during O1. In previous IMBHB searches using LIGO-Virgo data taken in 2005–2010 [13,16], an unmodeled transient search and a modeled matched-filter search using only the ringdown part of the waveform were separately employed to set distinct upper limits on the merger rates of IMBHBs. For this study, two distinct search pipelines were also used: a...
matched-filter search algorithm, GstLAL [17–19], that uses inspiral–merger–ringdown waveform templates [4,5] which are cross-correlated with the data, and an unmodeled transient search algorithm, coherent WaveBurst (cWB)

TABLE I. Results of our analysis for IMBHB systems with (source-frame) component masses $m_1$ and $m_2$ parallel to the orbital angular momentum. For each set of parameters, we report the 90% confidence combined upper limit on the rate density $R_{90\%}$ and the combined- and single-pipeline sensitive distance $D_{90\%}$. Uncertainty in the detectors’ amplitude calibration introduces an $\approx 18\%$ uncertainty in the rates and an $\approx 6\%$ uncertainty in the sensitive distance.

<table>
<thead>
<tr>
<th>$m_1$ ($M_\odot$)</th>
<th>$m_2$ ($M_\odot$)</th>
<th>$\chi_{1,2}$</th>
<th>$R_{90%}$ [Gpc yr$^{-1}$]</th>
<th>$D_{90%}$ [Gpc]</th>
<th>$D_{VT}$ [Gpc]</th>
</tr>
</thead>
<tbody>
<tr>
<td>$100$</td>
<td>$100$</td>
<td>$0.8$</td>
<td>$0.93$</td>
<td>$0.3$</td>
<td>$1.6^{+1.7}_{-1.3}$</td>
</tr>
<tr>
<td>$100$</td>
<td>$100$</td>
<td>$0$</td>
<td>$2.0$</td>
<td>$0.7$</td>
<td>$1.3^{+1.3}_{-0.8}$</td>
</tr>
<tr>
<td>$100$</td>
<td>$100$</td>
<td>$-0.8$</td>
<td>$3.5$</td>
<td>$1$</td>
<td>$1.1^{+1.1}_{-0.9}$</td>
</tr>
<tr>
<td>$100$</td>
<td>$20$</td>
<td>$13$</td>
<td>$4$</td>
<td>$0.68^{+0.59}_{-0.46}$</td>
<td></td>
</tr>
<tr>
<td>$100$</td>
<td>$50$</td>
<td>$3.3$</td>
<td>$1$</td>
<td>$1.1^{+1.1}_{-0.8}$</td>
<td></td>
</tr>
<tr>
<td>$200$</td>
<td>$50$</td>
<td>$9.8$</td>
<td>$3$</td>
<td>$0.72^{+0.56}_{-0.66}$</td>
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<tr>
<td>$200$</td>
<td>$100$</td>
<td>$4.6$</td>
<td>$2$</td>
<td>$0.97^{+0.98}_{-0.84}$</td>
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<tr>
<td>$200$</td>
<td>$200$</td>
<td>$5.0$</td>
<td>$2$</td>
<td>$0.94^{+0.85}_{-0.78}$</td>
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<tr>
<td>$300$</td>
<td>$50$</td>
<td>$45$</td>
<td>$20$</td>
<td>$0.42^{+0.46}_{-0.37}$</td>
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<tr>
<td>$300$</td>
<td>$100$</td>
<td>$16$</td>
<td>$5$</td>
<td>$0.63^{+0.64}_{-0.52}$</td>
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<tr>
<td>$300$</td>
<td>$200$</td>
<td>$12$</td>
<td>$4$</td>
<td>$0.69^{+0.70}_{-0.58}$</td>
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<tr>
<td>$300$</td>
<td>$300$</td>
<td>$20$</td>
<td>$7$</td>
<td>$0.59^{+0.60}_{-0.45}$</td>
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</tbody>
</table>

[20–22], which looks for excess power which is coherent across the network of GW detectors. Instead of setting distinct upper limits, however, the results presented in this paper are the combined statistics from both independent search techniques. No IMBHBs were detected in this combined search in O1; based on this, we set a 90% confidence level limit on the rate of mergers (see Table I below).

The paper is organized as follows: Section II summarizes our search techniques and how they are combined for the current analysis. Section III describes how upper limits on rates are calculated and includes Table I and Fig. 2 as main results. Section IV discusses the astrophysical implications inferred from this analysis, and Sec. V presents our conclusions. We use the “TT + lowP + lensing + ext” parameters from Table 4 of the Planck 2015 results [8] for cosmological calculations.

II. SEARCH TECHNIQUE

For O1, a new search was inaugurated, in which both modeled and unmodeled analyses, specifically tuned to search for IMBHBs, were combined to form a single search. The modeled analysis employs a matched filter, which yields the optimal detection efficiency for signals of known form in stationary, Gaussian noise [23] and thus requires a sufficiently accurate signal waveform model for use as a template. The unmodeled transient analysis, by contrast, can identify burstlike signals which do not correspond to any currently available waveform model. IMBHB signals, as a consequence of their sources’ high mass, have relatively few cycles in the LIGO frequency band; therefore, the IMBHB search benefits from the combination of the two complementary analysis techniques.

A. Modeled analysis

The GstLAL pipeline, which is a matched-filter search algorithm for GWs from compact binary coalescences [17–19], was used in its offline mode to analyze the entirety of O1 [4,5]. The GstLAL IMBHB analysis is based on a discrete bank of GW templates constructed over a total mass between $50 M_\odot$ and $600 M_\odot$ in the detector frame, with mass ratios less extreme than 1:10, and with dimensionless spin $\chi_{1,2}$ between $-0.99$ and $0.99$, where positive values are aligned with the orbital angular momentum of the system and negative values are antialigned. The templates used in this search are a reduced-order model of a double aligned-spin effective-one-body waveform [24,25]. As a consequence of the noise characteristics at low frequencies [12], GstLAL began its analysis at a frequency of 15 Hz.

In this analysis, the data are filtered through a singular-value decomposition of the template bank, and the matched-filter SNR time series for each template in the bank is reconstructed from the filtered output of the basis templates [19]. Maxima in the SNR, called triggers, are
identified, and corresponding values of a signal consistency test, which is a comparison of the SNR time series for the data to the SNR time series expected from a real signal, are computed. Triggers found in one detector that are not coincident with triggers in another detector are assumed to be nonastrophysical and are used to estimate the probability distribution of noise events in each detector. Coincident triggers are considered GW candidates and are ranked against each other via a likelihood ratio, which compares the probability that each is a signal to the probability that each is noise[19]. Finally, a coincident trigger is assigned a p-value [19], which is the probability of finding a noise fluctuation with such likelihood ratio or higher under the hypothesis that the data contain no GW signals.2

For validation, another independent matched-filter search algorithm, PyCBC [27,28], was also run over the same GW parameter space using a spin-aligned frequency-domain phenomenological waveform model [29,30] as templates. PyCBC uses a different SNR-based ranking statistic [4,27,28,31]. These two independent matched-filter algorithms find consistent results over the IMBH parameter space, which increases our confidence in their reliability and robustness.

The three most significant events from the GstLAL matched-filter analysis correspond to GW150914, LVT151012, and GW151226, which have already been reported [2–6]. Since parameter-estimation studies have placed these events outside of the IMBH mass range [4–6,32], we have removed these triggers from our analysis. We discuss the production of our overall IMBH results in Sec. II C.

The bank of waveform templates used by the GstLAL IMBH analysis notably overlaps with the O1 stellar-mass BBH search [4,5] between $M = 50 M_\odot$ and $100 M_\odot$. It was therefore expected that this new analysis would find GW150914 and LVT151012 as two of its most significant events, since the masses of these two signals have posterior support in this range [4–6]. Additionally, GW151226 being the third most significant event in this analysis demonstrates the robustness of modeled analyses to identify signals even outside of their covered parameter spaces. This is the first modeled analysis that includes the inspiral, merger, and ringdown portions of the compact binary coalescence waveform to extend above $M = 100 M_\odot$ and into the IMBH parameter space. Even though IMBH mergers potentially have large values of SNR, detecting them with this analysis can be difficult. Signal consistency checks are often inefficient at distinguishing true signals from background events. This problem is caused primarily by the short duration of signals produced by high-mass systems, especially those with antialigned spin configurations. Continuing to pursue improvements in IMBH search methods will undoubtedly improve the sensitivity of the analysis.

### B. Unmodeled analysis

The unmodeled analysis was conducted with cWB, the data-analysis algorithm used for previous LIGO-Virgo unmodeled IMBH searches [13,33]. More recently, this algorithm has been used extensively on O1 data [22].
cWB performs a coherent analysis on data from multiple detectors [21]; for the O1 analysis, just the H1 and L1 detectors were available. After decomposing the data into a time-frequency representation, the algorithm identifies coherent triggers from regions in the time-frequency domain with excess power relative to the noise level. GW candidate events are subsequently reconstructed in the framework of a constrained maximum-likelihood analysis.

As this reconstruction of signal is agnostic to the waveform modeling of the specific astrophysical source, this algorithm can be used in a variety of searches, including eccentric BBH mergers [34]. Past simulation studies have shown that the cWB unmodeled analysis is sensitive to BBH mergers over large regions of the binary parameter space accessible with initial GW detectors [35]; analogous conclusions were reached for the case of advanced detectors [36].

For this analysis, we applied a further, weak constraint to favor the reconstruction of chirality-polarized waveforms [21]. Moreover, with respect to the generic burst search reported in [22], frequency-dependent postproduction selection cuts were tuned in order to minimize the impact of such cuts on IMBHB mergers: the low-frequency part of the spectrum of GW data is often polluted by various environmental and instrumental noises that effectively mimic the expected waveforms for massive binary mergers. The cWB analysis began at a frequency of 16 Hz.

The significance of any GW candidate event is estimated by comparing it with the noise background distribution in order to calculate its $p$-value. The background set was empirically produced by analyzing $≈9000$ independent time-shifted O1 data sets. Approximately 1100 yr of effective background livetime was accumulated with this procedure. Additional time lags would have been analyzed had loud IMBHB candidates been identified and a more precise estimate of the background tails been required. The only GW signal found in the O1 data by cWB was GW150914, which is louder than all background events.

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C. Combining analyses

After running on the data collected by the detectors, each search algorithm produces a trigger list with times and associated $p$-values $\mathcal{P}$. We combine the two lists together to form a single list of triggers ranked by their $p$-value. To avoid double counting of events, we remove triggers within 100 ms of a more significant trigger found by the other search algorithm. To account for the use of two search algorithms, we apply a trials factor of 2 to produce the final $p$-value of our search,

$$\hat{\mathcal{P}} = 1 - (1 - \mathcal{P})^2.$$  

This assumes that the triggers produced by the two algorithms are independent; a correlation in the two lists of triggers from the pipelines would reduce the effective trials factor, making 2 a conservative choice. Of the top 150 triggers output by the two pipelines, only GW150914 is common between the lists, indicating that the noise triggers are independent here. We consider $\hat{\mathcal{P}}$ as the ranking statistic for the combined search algorithm. Excluding GW150914, LVT151012, and GW151226, the most significant trigger has $\hat{\mathcal{P}} = 0.26$, well below the significance needed to be considered as a detection candidate.

III. UPPER LIMITS ON RATES

Since no IMBHB coalescences were detected during O1, we can calculate upper limits on the astrophysical rate (density) of such events. With the loudest-event method [37], if the most significant IMBHB trigger is consistent with noise, the 90% confidence upper limit is given by

$$R_{90\%} = -\ln(0.1) = \frac{2.303}{\langle VT \rangle},$$

where $\langle VT \rangle$ is the averaged spacetime volume to which our search is sensitive at the loudest-event threshold. We compute $\langle VT \rangle$ by injecting a large number of simulated waveforms into the O1 data, then analyzing the data with both pipelines (GstLAL and cWB) to produce a list of combined $p$-values $\hat{\mathcal{P}}$. A simulated signal is considered to be detected by the search if $\hat{\mathcal{P}}$ is smaller than the $p$-value of the loudest event, 0.26. The sensitive $\langle VT \rangle$ is then given by

$$\langle VT \rangle = T_0 \int dz d\theta \frac{dV_z}{dz} \frac{1}{1+z} s(\theta) f(z, \theta).$$

where $T_0$ is the total time covered by the injections (in the detector frame), $V_z(z)$ is the comoving volume contained within a sphere out to redshift $z$ [38], $s(\theta)$ is the injected distribution of binary parameters $\theta$ (e.g., masses, spins, orientation angles, distance), and $0 \leq f(z, \theta) \leq 1$ is the selection function indicating the fraction of injections with redshift $z$ and parameters $\theta$ that are detected by our search. We evaluate the integral (3) using a Monte Carlo technique.

The injected waveforms are generated using a spin-aligned effective-one-body model [24], which is the waveform model used as a base for the reduced-order model [25] that the GstLAL search pipeline used for its template bank. Precession and higher-order modes are possibly important for IMBHB detection [39–45], particularly for sources with
SEARCH FOR INTERMEDIATE MASS BLACK HOLE ... more extreme mass ratios; however, we neglect both effects
due to current limitations in the waveform models.

Since the true population of IMBHs, and thus the true
function $s(\theta)$, is unknown, we focus on placing limits on 12
specific locations in the IMBH parameter space. We
choose 10 specific combinations of masses (see Table I).
For 9 of these mass combinations, we consider only
nonspinning black holes. In the case $m_1 = m_2 = 100 M_{\odot}$,
we consider nonspinning black holes and two
spinning cases. In both spinning cases, we choose dimen-
sionless spins $\chi_{1,2}$ of magnitude 0.8 which are aligned with
each other. In one case, the spins are also aligned with the
orbital angular momentum of the system ($\chi_1 = \chi_2 = 0.8$);
in the other, they are antialigned ($\chi_1 = \chi_2 = -0.8$).
Angular parameters (i.e., binary orientation and sky loca-
tion) are chosen from a uniform distribution on a sphere.

The luminosity distances of the sources are chosen
approximately uniformly in comoving volume out to a
maximum redshift $z = 1$.\footnote{A flat cosmology with an incorrect value of $\Omega_m = 0.3156$
(instead of 0.3065) was used to generate the injection sets.
We find that the error has no significant effect on our results,
introducing an error of less than 1%). The tightest bound is placed on the merger of two
\begin{equation}
R_{90\%} \approx 0.3 \text{ GC}^{-1} \text{ Gyr}^{-1}.
\end{equation}
We also report a sensitive distance,
\begin{equation}
D_{\langle VT \rangle} = \left( \frac{3\langle VT \rangle}{4\pi T_0} \right)^{1/3},
\end{equation}
where $T_0 < T_0$ is the total time analyzed by the search. The
sensitive distance is analogous to the sense-monitor range
[48], except that (5) includes cosmological effects. It is
given in Table I for the combined $\langle VT \rangle$, used to generate
$R_{90\%}$, as well as for the GstLAL and cWB search
algorithms individually. The searches are most sensitive
to binaries with $m_1 = m_2 = 100 M_{\odot} \hspace{1mm}$
and aligned spins.

The results are given in Table I. The table shows the
90\% confidence rate upper limit for each of the 12 injection
sets. Amplitude and phase errors arising from detector
\begin{equation}
R_{90\%} \approx 0.3 \text{ GC}^{-1} \text{ Gyr}^{-1}.
\end{equation}
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D_{\langle VT \rangle} = \left( \frac{3\langle VT \rangle}{4\pi T_0} \right)^{1/3},
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and aligned spins.

\begin{equation}
\text{IV. ASTROPHYSICAL IMPLICATIONS}
\end{equation}

There are currently few good candidates for IMBHs, but
if one extrapolates the observed relation between super-
massive black holes and the masses of their host galaxies to
lower-mass systems, it is plausible to infer the existence of
IMBHs [49–56]. While the formation channel of IMBHs is
unknown, there are a small number of proposed scenarios:
(i) the direct collapse of massive first-generation, low-
metallicity Population III stars [57–60], (ii) runaway merg-
ers of massive main sequence stars in dense stellar clusters
[61–65], (iii) the accretion of residual gas onto stellar-mass
black holes [66], and (iv) chemically homogeneous evo-
lution [67].\footnote{This density encompasses GCs with a range of masses
and central concentrations; we make the further simplifying
assumption that all GCs have the potential to form IMBHs with
the masses we consider.

Since IMBHs are potentially formed via different channels
than stellar-mass black holes, we do not attempt to extrapolate
the BBH mass distribution to IMBHs. The O1 BBH merger rate
and mass distribution reported in [5,10] were calculated assuming
that the total mass is less than $100 M_{\odot}$.}

It has been suggested that the most likely locations to
find IMBHs are at the centers of GCs [68–80]. It follows
that these are also the most likely places to find IMBHs.
Again, while the formation mechanisms are unknown, it is
postulated that an IMBBH can be formed in a GC with a
fraction of binary stars higher than $\approx 10\%$ [81] or as a result
of a merger of two clusters, each of which contains an
IMBH [82,83]. While no direct observational evidence of
IMBHs exists, this hypothesis is supported by recent
simulations of dense stellar systems [84]. Measurements
of an IMBBH’s components would allow us to not only
constrain IMBBH formation channels, but also make state-
ments on the link between IMBHs and both ultraluminous
[85] and hyperluminous [86–88] x-ray systems.
As stated in Table I, the minimal $R_{90\%}$ is found to be $\approx 0.3 \text{ GC}^{-1} \text{Gyr}^{-1}$. The improvement in detector sensitivity since the S6 run means that this result is nearly 2 orders of magnitude lower than the lowest upper limit set using previous LIGO-Virgo data [13,16]. This number is within a factor of a few of 0.1 GC$^{-1}$ Gyr$^{-1}$, the IMBHB merger rate corresponding to one event occurring in each GC within the lifetime of the cluster (assumed equal to 10 Gyr), although it only refers to a single point in the IMBHB mass-spin parameter space and not to the full physical distribution of IMBHs. The bounds are compatible with rate predictions coming from astrophysical models of IMBH formation [83,89,90]. To make a full comparison of the upper limits with predictions, or with the BBH merger rate (9–240 Gpc$^{-3}$ yr$^{-1}$ [5,10]), it would be necessary to assume a mass, spin, and redshift distribution for IMBH mergers; this distribution is currently uncertain, so we defer a comparison to future studies.

Further improvements to the detector sensitivity in the next observing runs will allow us to increasingly improve the IMBHB merger-rate estimation and provide relevant constraints on the merger rate in the local Universe. A single GW detection of an IMBHB merger could provide the first conclusive proof of the existence of IMBHs in the Universe [91–93]. Multiple detections, where astrophysically important parameters, such as mass and spin, are measured, would allow us to make statements not only on the formation and evolutionary channels of IMBHs but also on their link with other observed phenomena.

V. CONCLUSION

This paper describes a search for intermediate mass black hole binaries during the first observing run of the Advanced LIGO detectors. Due to improvement in detector sensitivity, this run had an increase in search horizon of a factor of $\approx 6$ compared to the previous science run. The search uses the combined information from a modeled matched-filter pipeline and an unmodeled transient burst pipeline. While no IMBHBs were found, 90% confidence limits were placed on the merger rates of IMBHs in the local Universe. The minimum merger rate of $\approx 0.3 \text{ GC}^{-1} \text{Gyr}^{-1}$ constitutes an improvement of almost 2 orders of magnitude over the previous search results. The results presented here are based on non-precessing and, in most cases, nonspinning waveforms, that also omit higher modes. It is believed that these higher-order physical effects may be important for IMBHBs, but they should be less important for the near equal-mass systems where we can set best upper limits. We plan to include these effects in future analyses. It is also believed that continued improvements in the detector performance during future observing runs [94] will allow us to further tighten these bounds and may lead to the first detections of IMBHs.

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†Deceased.