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Magnetotransport in single layer graphene in a large parallel magnetic field

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Graphene on hexagonal boron-nitride (h-BN) is an atomically flat conducting system that is ideally suited for probing the effect of Zeeman splitting on electron transport. We demonstrate by magneto-transport measurements that a parallel magnetic field up to 30 Tesla does not affect the transport properties of graphene on h-BN even at charge neutrality where such an effect is expected to be maximal. The only magnetoresistance detected at low carrier concentrations is shown to be associated with a small perpendicular component of the field which cannot be fully eliminated in the experiment. Despite the high mobility of charge carriers at low temperatures, we argue that the effects of Zeeman splitting are fully masked by electrostatic potential fluctuations at charge neutrality.

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I. INTRODUCTION

A magnetic field applied in the plane of an ideally flat two-dimensional (2D) conductor couples to the spin degree of freedom of charge carriers rather than to their orbital motion. In such a setup, the orbital effects such as Hall and Nernst are suppressed and the spin-polarization effects become the leading phenomena. This idea has been intensely exploited in semiconductor heterostructures to study the effects of electron-electron interactions and disorder on spin polarisation and spin-resolved density of states in two-dimensional electron gases (2DEGs).

For some 2DEGs, the characteristic width of the confinement potential is, however, comparable to the magnetic length \( \ell_B = \sqrt{\hbar/eB} \), even for fields of the order of a few Tesla. For larger fields the energy bands and, consequently, the effective mass and the \( g \)-factor of electrons become sensitive to the value of the in-plane magnetic field \( B_\parallel \) and the interplay between spin and orbital effects influences the transport properties of the system.

In contrast to semiconductor-based 2DEGs, a complete decoupling of the orbital and spin effects can be achieved in graphene. Since graphene is only one atom thick, the orbital motion of the electrons is not affected by \( B_\parallel \), up to the fields of the order of 10^7 T. In actual devices, however, graphene adapts to the conformation of the underlying substrate. Common substrates such as SiO_2 induce corrugations (ripples) to graphene plane that convert a nominal in-plane field into a randomly oriented one, depending on the curvature of the surface. Experimental works on SiO_2 supported graphene showed that the external \( B_\parallel \) couples to the orbital motion of carriers via the high corrugations leading to a magnetoresistance which depends on the topography of the device.

Nevertheless, an atomically flat conducting system can be achieved by placing graphene on hexagonal boron-nitride (h-BN) which significantly increases its mobility. Graphene sandwiched between two atomically flat h-BN surfaces gives rise to an ultimately sharp potential well with a characteristic width of one atom, representing an ideal playground to probe the effects of an in-plane magnetic field on the electron transport of a truly 2D system.

An in-plane magnetic field modifies the density of states only due to the Zeeman splitting \( E_Z = g \mu_B B \), where \( g = 2 \) is the electron \( g \)-factor and \( \mu_B \) is the Bohr magneton, leading to a value \( E_Z \approx 3.5 \text{ meV} \) for \( B = 30 \text{ T} \). In addition, the splitting of spin sub-bands changes the density of states in graphene at charge neutrality from zero to a non-zero value leading to a non-zero quasiparticle density \( n_Q \). Therefore, a strong in-plane magnetic field is expected to affect magneto-transport properties of graphene only in the limit of low charge carrier density, \( n < n_Q \), and low temperature, \( T < E_Z/2 \).

In this work, we investigate the resistivity of high-quality h-BN supported graphene in the presence of a large in plane magnetic field. We do not observe any change of resistivity induced by \( B_\parallel \) neither at charge neutrality nor for large doping at 1.4 K and for \( B_\parallel \) as large as 30 T. Despite the high mobility of charge carriers in the sample \( \mu \approx 50000 \text{ cm}^2 \text{V}^{-1} \text{s}^{-1} \), the electrostatic potential fluctuations around the charge neutrality point (CNP) are sufficiently strong to average out possible effects of Zeeman splitting.

II. EXPERIMENTAL DETAILS

Our sample is a Hall-bar shaped graphene device with an aspect ratio \( L/W = 2 \) (the distance between contacts \( L \approx 3 \mu m \) and the width \( W \approx 1.5 \mu m \)). The graphene flake, sandwiched between two thin layers of h-BN, is connected to Ti/Au contacts. The system is placed on top of a doped Si/SiO_2 wafer, which acts as a back gate.
Panel (b): Magnetoresistance as a function of parallel-field configuration, $\theta$. Resistivity $\rho_{xx}$ versus gate voltage $V_G$ for $B = 0$ (grey line) and $B = 30$ T (black solid line). Inset: Configuration of magnetic field orientation with respect to the graphene plane (shown in grey) and definition of tilt angle $\theta$. $\theta = 90^\circ$ corresponds to a purely in-plane field.

Low temperature ($T = 1.4$ K) transport measurements were performed using a low frequency lock-in technique with a 10 nA excitation. The longitudinal $\rho_{xx}$ and Hall $\rho_{xy}$ resistivities were measured as a function of the back gate voltage $V_G$ and the external magnetic field $B$ that varies up to 30 T.

The charge neutrality point is associated with the maximum of $\rho_{xx}$ at $V_G = -10.5$ V (see Fig. 1a) and its shift with magnetic field is negligible, allowing measuring the resistance of the CNP with a relative accuracy of better than 0.3% by sweeping the field at a constant gate voltage $V_G = -10.5$ V. The charge carrier concentration $n$ is assumed to be proportional to the gate voltage $V_G$.

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Fig. 1 shows the resistivity $\rho_{xx}$ as a function of the gate voltage $V_G$ for $\theta = 89.91^\circ$. This was the closest experimentally achievable angle to the parallel field configuration in our tilted-field setup. Note that this relative misalignment of less than $10^{-3}$, corresponds to lateral displacement of the sample, mounted on a $\approx 1$ mm long probe, of less than 1 mm. The grey curve represents the signal in the absence of the field while the black curve corresponds to the external field $B = 30$ T. Away from the CNP the two traces are indistinguishable. A small increase in resistivity is observed in the region around the CNP (see inset of Fig. 1a) at maximum field.

To better illustrate the response of $\rho_{xx}$ to $B$, we plot in Fig. 1b, the magnetoresistance (defined as $\rho_{xx}(B) - \rho_{xx}(0)$) as a function of the magnetic field in the best parallel-field configuration for specific gate voltage values indicated by the dashed lines in Fig. 1b, corresponding to the CNP $n = 0$ (black line), $n = 7 \times 10^{10}$ cm$^{-2}$ (green line), $n = 2.1 \times 10^{11}$ cm$^{-2}$ (orange line) and $n = 9.2 \times 10^{11}$ cm$^{-2}$ (blue line).

At high $n$ (blue and orange curves) the resistivity is not sensitive to $B \approx B_{||}$ while a dependence $\rho_{xx}(B)$ is seen in a vicinity of the CNP (green and black lines).

One can clearly see that the observed magnetoresistance is maximized at the CNP. It reaches a maximal neg-
have also checked that no contribution of any sizeable effect in the resistivity of our device. We ready been addressed in numerous references and can be different angles: equal mobilities of electron- and hole-like quasiparticles, expected at such a low temperature and small component of the field \( B_\perp \), which cannot be ignored in the vicinity of the CNP.

In order to prove that the observed changes of \( \rho_{xx} \) are indeed related to \( B_\perp \), we measure the magnetoresistance for slightly different tilt angles around \( \theta = 90^\circ \).

In Fig. 2a, we then plot the \( \rho_{xx} \) data for three different angles: \( \theta = 83.39^\circ \), \( \theta = 88.1^\circ \) and \( \theta = 89.91^\circ \). The curves fall on top of each other when plotted with respect to \( B_\perp = B \cos \theta \). These experimental results suggest that the magnetoresistance observed in the vicinity of the CNP for \( \theta \approx 90^\circ \) is entirely due to the perpendicular component of the field and that \( B_\perp \) does not produce any sizable effect in the resistivity of our device. We have also checked that no contribution of \( \rho_{xy} \) is superimposed onto \( \rho_{xx} \) by measuring it for both field orientations and by symmetrizing the \( \rho_{xx} \)-data, see inset in Fig. 2a. Within experimental accuracy we find that \( \rho_{xx} \) is even in magnetic field, i.e. we can safely neglect any odd contributions from \( \rho_{xy} \) onto it.

### IV. DISCUSSION

The observed dependence \( \rho_{xx}(B_\perp) \) at the CNP has already been addressed in numerous references and can be explained as follows: The initial decrease in resistance is compatible with the suppression of weak localization due to external magnetic field. This phenomenon can be expected at such a low temperature and small \( B_\perp \). For larger values of \( B_\perp \) the positive magnetoresistance can be associated to classical effects such as two-liquid transport (see e.g. Refs. 17, 18 and references therein) and a semiclassical linear magnetoresistance arising from concentration fluctuations. When moving away from the CNP all these effects rapidly decrease which is indeed observed experimentally in a strong suppression of the observed magnetoresistance, see Fig. 1(b).

Let us now discuss the experimental results from the point of view of a simple Drude theory which does not take into account localisation phenomena. Assuming equal mobilities of electron- and hole-like quasiparticles, one obtains the resistivity tensor

\[
\rho_{xx} = \frac{n_Q}{\epsilon \mu} \left( 1 + \mu^2 B_\perp^2 \right), \quad \rho_{xy} = \frac{n}{n_Q} \mu B_\perp \rho_{xx},
\]

which depends on two densities: the charge carrier density \( n = n_e^+ + n_h^+ - n_e^- - n_h^- \) and the quasiparticle density \( n_Q = n_e^+ + n_e^- + n_h^+ + n_h^- \). Here, the electron and hole densities, \( n_e^\sigma \) and \( n_h^\sigma \) correspondingly, are defined for different spin species \( \sigma = \pm \) as

\[
n_\sigma^\pm = \int_0^{\infty} \nu(\varepsilon) f_\sigma^\pm(\varepsilon) \, d\varepsilon,
\]

where \( f_\sigma^\pm(\varepsilon) = [1 + \exp[(\varepsilon - \sigma E_G/2 - \mu_c)/T]]^{-1} \) is the electron Fermi distribution function, \( f_\pm(\varepsilon) = 1 - f_\mp(-\varepsilon) \), \( \mu_c \) is the chemical potential, and \( \nu(\varepsilon) = \nu(-\varepsilon) \) is density of states per spin which is taken to be symmetric with respect to the Dirac point. For ideally clean graphene in zero field \( \nu(\varepsilon) = |\varepsilon|/\pi \hbar^2 v^2 \).
density of states in the vicinity of the Dirac point is the electrostatic potential variation induced e.g. by charged (or Coulomb) impurities.\textsuperscript{24} The Zeeman effect provides a competing mechanism which induces a non-zero density of states at the CNP. For ideal graphene at zero temperature one finds from Eq. \textsuperscript{2} that $n_Q(n=0) = E_Z^2/4\pi\hbar^2v^2$. For a field of 30 T this estimate gives the figure $n_Q(n=0) = 2.2 \times 10^{8} \text{cm}^{-2}$ which is, however, still two orders of magnitude smaller than $n_Q$. Despite the low temperature and the large $B_\perp$ employed in the experiment such that $T \ll E_Z$, the Zeeman splitting is most likely masked by the potential fluctuations around the CNP and therefore cannot be detected in our experiment.

Finally, we can also compare the energy broadening at the CNP responsible for the smearing out of the effects of Zeeman splitting in a parallel magnetic field with the Landau level broadening of the same sample in a perpendicular magnetic field estimated to be $\Gamma = 14 \text{ K}$.\textsuperscript{24} This is comparable to the expected spin splitting at 30 T. However, one should realize that the experiments to determine Landau level broadening are performed far away from the CNP where screening effects can significantly reduce potential fluctuations. Therefore our method of determining $n_Q$ at the CNP is more reliable. Indeed, using the ideal DOS of graphene and the residual carrier concentration one can estimate an energy smearing at the CNP which is more than an order of magnitude larger than the one extracted from Landau level broadening.

Owing to the development in the device fabrication technique, it is nowadays possible to achieve the quasiparticle density in graphene to be as low as $10^{8} \text{ cm}^{-2}$.\textsuperscript{25} We may, therefore, expect that new experiments will soon be able to address the spin physics of graphene in a parallel magnetic field.

\section{Summary}

In conclusion, we have measured the resistivity of graphene on h-BN in a parallel magnetic field. At high charge carrier concentrations we do not observe any dependence of $\rho_{xx}$ on the external magnetic field and we demonstrated that all the changes observed at low $n$ and at the CNP can be ascribed to $B_\perp$. This indicates that the large parallel magnetic field up to 30 T and, consequently, Zeeman splitting up to 3.5 meV do not have any effect on the transport properties despite the rather high mobility $\mu \approx 50000 \text{cm}^2\text{V}^{-1}\text{s}^{-1}$ in the sample. This observation is compatible with the leading role of Coulomb impurities in graphene that induce sizeable smooth variations of electrostatic potential at charge neutrality without reducing the mobility of charge carriers.\textsuperscript{26} We conclude that the presence of smooth electrostatic potential variation in the sample fully mask the effects of Zeeman splitting in our samples.
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